Marks: 80

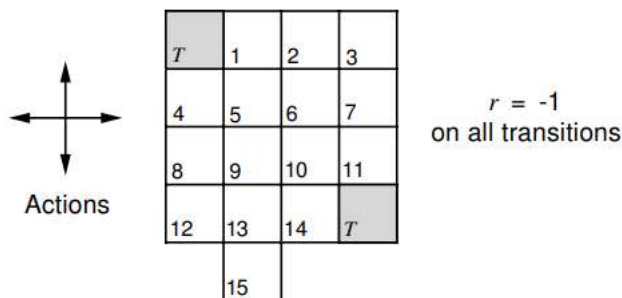**Time: 03 Hours**

Note: 1. Question 1 is compulsory

     2. Answer any three out of the remaining five questions.

     3. Assume any suitable data wherever required and justify the same.

Q1 a) Describe Optimistic Initial Values.   [5]

    b) Suppose $\gamma = 0.5$ and the following sequence of rewards is received R1 = 1, R2 = 2,   [5]
       R3 = 6, R4 = 3, and R5 = 2, with T = 5. What are G0, G1, ..., G5?

    c) What is policy iteration? Explain policy iteration algorithm.   [5]

    d) Explain first-visit Monte Carlo and every-visit Monte Carlo methods.   [5]

Q2 a) Consider a k-armed bandit problem with k = 4 actions, denoted 1, 2, 3, and 4.   [10]
       Consider applying to this problem a bandit algorithm using ε -greedy action
       selection, sample-average action-value estimates, and initial estimates of Q1(a) = 0,
       for all a. Suppose the initial sequence of actions and rewards is A1 = 1, R1 =1, A2
       = 2, R2 = 1, A3 = 2, R3 =2, A4 = 2, R4 = 2, A5 = 3, R5 = 0. On some of these time
       steps the ε case may have occurred, causing an action to be selected at random. On
       which time steps did this definitely occur? On which time steps could this possibly
       have occurred?

    b) What is agent and environment? Explain agent–environment interaction in a Markov [10]
       decision process.

Q3 a) Suppose a new state 15 is added to the gridworld just below state 13, and its   [10]
       actions, left, up, right, and down, take the agent to states 12, 13, 14, and 15,
       respectively. Assume that the transitions from the original states are unchanged.
       What, then, is $V^{\pi}(15)$ for the equiprobable random policy? Now suppose the
       dynamics of state 13 are also changed, such that action down from state 13 takes
       the agent to the new state 15. What is $V^{\pi}(15)$ for the equiprobable random policy in
       this case?

$r = -1$
on all transitions

Actions

62706F53E23418DE055810FEEAFF86D3

b) Desribe how monte carlo estimation can be used in control to approximate optimal policies. [10]

Q4 a) What is reinforcement learning. Explain the elements of reinforcement learning. [10]

b) Describe the application of reinforcement learning to the real world problem of elevator dispatching. [10]

Q5 a) Explain how upper confidence bound (UCB) action selection generally performs better than ε-greedy action selection with a suitable example. [10]

b) Describe asynchronous dynamic programming with an example. [10]

Q6 a) What are Goals and Rewards? Explain with a suitable example. [10]

b) Explain temporal-difference (TD) prediction with an example. [10]

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